

Fig. S1. Postnatal modifications in the size of glutamate and GABA
synaptic afferents to the DRN. Violin plots illustrating global sizes (in voxels) of synaptic boutons identified with array tomography during postnatal life. (A) VGLUT1 (Kruskal-Wallis statistic $=-505.2, \mathrm{p}<0.0001$ ): ${ }^{*} \mathrm{p}<0.0001$ for P4 vs. P21, P28 and P60; * $\mathrm{p}<0.0001$ for P7 vs. P21, P28 and P60; ${ }^{*} \mathrm{p}<0.0001$ for P14 vs. P21, P28 and P60; * $\mathrm{p}<0.0001$ for P60 vs. P21 and P28. P4 ( $\mathrm{n}=1363$ ), P7 ( $\mathrm{n}=870$ ), P14 ( $\mathrm{n}=1722$ ), P21 ( $\mathrm{n}=2760$ ), P28 ( $\mathrm{n}=2760$ ) and P60 ( $\mathrm{n}=1795$ ). (B) VGLUT2 (Kruskal-Wallis statistic = 289.5, $\mathrm{p}<0.0001$ ): ${ }^{*} \mathrm{p}<0.0001$ for P4 vs. P14, P21, P28 and P60; ${ }^{*} \mathrm{p}<0.0001$ for P7 vs. P14, P21, P28 and P60; ${ }^{*} \mathrm{p}<0.0006$ for P14 vs. P28 and P60; ${ }^{*} \mathrm{p}<0.0001$ for P21 vs. P28 and P60; *p<0.006 for P28 vs. P60. P4 ( $\mathrm{n}=2049$ ), P7 ( $\mathrm{n}=1079$ ), P14 ( $\mathrm{n}=3132$ ), P21 ( $\mathrm{n}=4321$ ), P28 ( $\mathrm{n}=2036$ ) and P60 ( $\mathrm{n}=3964$ ). (C) GAD2 (Kruskal-Wallis statistic = -864.0, $\mathrm{p}<0.0001$ ): * $\mathrm{p}<0.006$ for P4 vs. P21, P28 and P60; * $\mathrm{p}<0.0001$ for P7 vs. P21, P28 and P60; * $\mathrm{p}=0.0126$ for P 14 vs. P 21 and ${ }^{*} \mathrm{p}<0.0001$ for P 14 vs. P28 and P60; * $\mathrm{p}<0.0001$ for P21 vs. P28 and P60, and for P28 vs. P60. P4 ( $\mathrm{n}=1600$ ), P7 ( $\mathrm{n}=925$ ), P14 ( $n=2990$ ), P21 ( $n=3239$ ), P28 ( $n=3353$ ) and P60 ( $n=2717$ ). Multiple comparisons were done by Dunn's test. Medians and quartiles are shown.


Fig. S2. Kinetic analysis of mEPSCs at P21 and P28.
(A) To further study kinetic properties of mEPSCs, half-width (HW) durations were defined as the time between the rising and decay phases of each mEPSC at $50 \%$ of the peak amplitude. Histograms of mEPSC HW duration were fitted to a double-peak Gaussian distribution at both P21 and P28 ( $\mathrm{n}=8$ neurons from 3 mice/age):
$y=y_{0}+\left(A_{1} / w_{1} * \sqrt{\pi / 2}\right) * \exp \left(-2 *\left(\left(x-x_{C_{1}}\right) / w_{1}\right)^{2}\right)+\left(A_{2} / w_{2} * \sqrt{\pi / 2}\right) * \exp (-$ $\left.2 *\left(\left(x-x_{C_{2}}\right) / w_{2}\right)^{2}\right)$, where $y_{0}, x_{c}, w$ and $A$ represent offset, center, width, and area, respectively. For P21: $y_{0}=1.04 \exp -4 \pm 0.00, x_{C_{1}}=1.43 \pm 0.02, A_{1}=0.17 \pm$ $0.01, w_{1}=1.35 \pm 0.05, x_{C_{2}}=3.09 \pm 0.00, A_{2}=0.07 \pm 0.01, w_{2}=1.55 \pm 0.00, \mathrm{R}^{2}=$ 0.96. For P28: $y_{0}=-3.42 \exp -5 \pm 0.00, x_{C_{1}}=1.32 \pm 0.02, A_{1}=0.18 \pm 0.01, w_{1}=$ $1.05 \pm 0.05, x_{C_{2}}=3.00 \pm 0.01, A_{2}=0.04 \pm 0.00, w_{2}=2.00 \pm 0.00 . \mathrm{R}^{2}=0.94$.

Akaike's Information Criterion test (AIC) was used to compare single vs. double-peak

Gaussian models. For P21, a double-peak Gaussian model was $8.69 \times 10^{15}$ times more likely to be correct (AIC $=-527.55$, Akaike weight $=1$ ) than a single-peak Gaussian model (AIC $=-454.14$, Akaike weight $\left.=1.15 \times 10^{-16}\right)$. For P28, a double-peak Gaussian model was 119588 times more likely to be correct (AIC $=-401.94$, Akaike weight $=0.99)$ than a single-peak Gaussian model $($ AIC $=-378.45$, Akaike weight $=$ $8.36 \times 10^{-6}$ ). (B) mEPSCs were sorted in two distinct groups according to their H-W duration: i) mEPSCs that had a HW duration shorter than $1.5 \mathrm{~ms}\left(\sim x_{C_{1}}\right)$ and ii) mEPSCs that had a HW duration longer than $3 \mathrm{~ms}\left(\sim x_{C_{2}}\right)$. The relative frequency of both groups is shown in light blue in the histogram (A). Cumulative probability distribution of the inter-event interval for each group of mEPSCs was calculated at P21 and P28 ( $\mathrm{n}=8$ neurons from 3 mice/age). The mean inter-event interval at a cumulative probability of 0.5 was calculated using a single exponential function $y=y_{0}+a * \exp (-b * t)$, where $y_{0}, a, b$ and $t$ represent offset, pre-exponential coefficient, time constant and time, respectively) (Interval ${ }_{0.5}$, blue dashed lines, inset). *P $<0.05$, T-test with Welch's correction, $\mathrm{t}=2.303$, $\mathrm{df}=8.832$ (HW $>3 \mathrm{~ms}$ P21 vs. P 28 ). $\mathrm{P}=0.9957$, T-test, $\mathrm{t}=0.005$, $d f=14$ (HW <1.5ms P21 vs. P28).

Table S1. Analysis of bursts in mIPSCs.

|  | P21 | P28 |  |
| :---: | :---: | :---: | :---: |
| Events in burst | $30.0 \pm 8.4$ (7) | $19.1 \pm 1.9$ (5) | Mann-Whitney $U=13.0, p=0.5$ |
| Burst duration (s) | $3.1 \pm 0.4$ (7) | $4.1 \pm 1.4$ (5) | Mann-Whitney $\mathrm{U}=17.0, \mathrm{p}=0.1$ |
| Mean intraburst interval (ms) | $151.0 \pm 42.0$ <br> (7) | $252.2 \pm 95.1$ <br> (5) | Mann-Whitney $\mathrm{U}=10.0, \mathrm{p}=0.3$ |
| Frequency (Hz) | $34.3 \pm 5.1$ (7) | $18.8 \pm 3.8$ (5)* | T-test $\mathrm{t}_{10}=2.3, \mathrm{p}=0.046$ |
| Mean intraburst amplitude (-pA) | $18.9 \pm 3.8$ (7) | $23.8 \pm 5.1$ (5) | T-test $\mathrm{t}_{10}=1.1, \mathrm{p}=0.3$ |
| Mean amplitude outside the burst (pA) | $16.7 \pm 1.7$ (7) | $21.6 \pm 4.4$ (5) | Mann-Whitney $U=10.0, p=0.3$ |

Values are expressed as mean $\pm$ s.e.m. (n). There were no differences between the mean amplitude inside vs. outside of the burst for both P21 and P28. In P21: $\mathrm{t}_{12}=$ 0.494, $p=0.630$; In P28: Mann-Whitney $U=11, p=0.841$.

